# Cutaway Model of 3s Orbital <br> $$
n=3, l=0, m_{l}=0
$$ 



The $3 s$ orbital has two spherical nodes.

$$
\begin{gathered}
\text { 3p Orbitals } \\
n=3, l=1, m_{l}=+1,0,-1
\end{gathered}
$$

Three degenerate $3 p$ orbitals, oriented along the axes of the coordinate system ( $3 p_{x}, 3 p_{y}, 3 p_{z}$ ).

More extensive (bigger) than $2 p$ with additional lobes.
In addition to the nodal plane, inner lobes are separated from outer lobes by a spherical node.


Cutaway model showing nodes

$$
\begin{gathered}
\text { 3d Orbitals } \\
n=3, l=2, m_{l}=+2,+1,0,-1,-2 \\
z
\end{gathered}
$$


$3 d_{x y}$


L The $3 d_{x y}, 3 d_{x z}$, and $3 d_{y z}$ orbitals' lobes are between the axes in their names.
$\mathrm{L} \quad$ The $3 d_{x^{2}-y^{2}}$ orbital's lobes are on the $x$ and $y$ axes.

## Nodes of 3d Orbitals

L "Cloverleaf" shaped $3 d$ orbitals have two nodal planes intersecting at the nucleus, which separate the four lobes.

$L \quad$ The $3 d_{z^{2}}$ orbital has two nodal cones whose tips meet at the nucleus, which separate the "dumbbell" lobes from the "doughnut" ring.


## Quantum Numbers and Orbitals

| $n$ | $l$ | $m_{l}$ | Orbitals |
| :--- | :--- | :--- | :--- |
| 1 | 0 | 0 | $1 s$ |
| 2 | 0 | 0 | $2 s$ |
| 2 | 1 | $-1,0,+1$ | $2 p_{x}, 2 p_{y}, 2 p_{z}$ |
| 3 | 0 | 0 | $3 s$ |
| 3 | 1 | $-1,0,+1$ | $3 p_{x}, 3 p_{y}, 3 p_{z}$ |
| 3 | 2 | $-2,-1,0,+1,+2$ | $3 d_{x z}, 3 d_{y z}, 3 d_{x y}, 3 d_{x^{2}-y^{2}}, 3 d_{z^{2}}$ |
| 4 | 0 | 0 | $4 s$ |
| 4 | 1 | $-1,0,+1$ | $4 p_{x}, 4 p_{y}, 4 p_{z}$ |
| 4 | 2 | $-2,-1,0,+1,+2$ | $4 d_{x z}, 4 d_{y z}, 4 d_{x y}, 4 d_{x^{2}-y^{2}}, 4 d_{z^{2}}$ |
| 4 | 3 | $-3,-2,-1,0,+1,+2,+3$ | $4 f(7$ orbitals $)$ |

"Balloon" Models of Atomic Orbitals for Routine Sketching

$S$

p

"cloverleaf" $d$

$d_{z^{2}}$

## Summary

Orbitals in One-electron Atoms ( $\mathrm{H}, \mathrm{He}^{+}, \mathrm{Li}^{\mathbf{2 +}}, \ldots$ )

1. All orbitals with the same value of the principal quantum number $n$ have the same energy; e.g., $4 s=$ $4 p=4 d=4 f$. (This is not true for multielectron atoms.)
2. The number of equivalent (degenerate) orbitals in each subshell is equal to $2 l+1$.
3. For orbitals with the same $l$ value, size and energy increase with $n$; e.g., $1 s<2 s<3 s$.
4. For orbitals of the same $l$ value, the number of nodes increases with $n$.

| Orbital | $1 s$ | $2 s$ | $3 s$ | $4 s$ |
| :--- | :--- | :--- | :--- | :--- |
| Nodes | 0 | 1 | 2 | 3 |
| Orbital |  | $2 p$ | $3 p$ | $4 p$ |
| Nodes |  | 1 | 2 | 3 |

