# Nyholm and Gillespies's <br> Valence Shell Electron Pair Repulsion Theory (V.S.E.P.R. Theory) <br> or <br> Electron Domain Theory ${ }^{1}$ (E.D. Theory) 

L Electrons in bonded atoms occupy spatially oriented orbitals in such a way as to minimize electron-electron repulsions arising mainly from electrostatic (coulombic) forces.

- For every number of electron pairs about a central atom ( $2,3,4,5,6$ ), there is a preferred arrangement that minimizes repulsions.
- The shape of a molecule is based on the preferred arrangement of electron pairs.
'R. J. Gillespie. J. Chem. Educ. 1992, 69, 116.


## Basic Geometries for 2, 3, and 4 Electron Pairs

$\mathrm{BeCl}_{2}$


Two pairs minimize repulsions if oriented $180^{\circ}$ from one another, giving a linear geometry.
$\mathrm{BCl}_{3}$


Three pairs minimize repulsions if oriented $120^{\circ}$ from one another, giving a trigonal planar geometry.
$\mathrm{CH}_{4}$


Four pairs minimize repulsions if oriented $109.5^{\circ}$ from one another, giving a tetrahedral geometry.

Stick Model of $\mathbf{C H}_{4}$


## Ball-and-Stick Model of $\mathbf{C H}_{4}$



## Space-Filling Model of $\mathbf{C H}_{4}$



## Basic Geometry for 5 Electron Pairs

## $\mathrm{PCl}_{5}$

Five pairs minimize repulsions in a trigonal bipyramidal geometry.


## Geometry of a Trigonal Bipyramid (tbp)

Two angles:


Two different kinds of positions:


## Basic Geometry for 6 Electron Pairs

$\mathrm{SF}_{6}$
Six pairs minimize repulsions in an octahedral geometry.


All positions are equivalent and form $90^{\circ}$ or $180^{\circ}$ angles to each other.

## Molecules with Double Bonds

$L \quad$ Shape is determined by the number of electron domains (regions), not simply the number of electron pairs.


4 pairs in 3 regions
Y trigonal planar


4 pairs in 2 regions
$Y$ linear
$\mathrm{H}-\mathrm{C} \equiv \mathrm{N}:$
4 pairs in 2 regions
Y linear

## Resonance Hybrid Molecules

L Any individual resonance (canonical) form can be used to predict the shape, treating "multiple bonds" as if they were real.


4 pairs in 3 regions in any canonical form Y trigonal planar

## Molecules with Lone Pairs (Non-Bonding Pairs) On the Central Atom

1. Shape refers to the geometrical arrangement of the atoms relative to one another in a molecule, not to the idealized arrangement of electron domains.
2. Molecules with non-bonding pairs on a central atom have shapes based on the arrangement of the electron domains, but bond angles may be slightly altered by repulsions among lone pairs (l.p.) and bond pairs (b.p.), which diminish in strength in the order

$$
\text { 1.p.-1.p. }>\text { 1.p.-b.p. }>\text { b.p.-b.p. }
$$

3. Shapes of molecules based on a $t b p$ geometry of electron domains ( 5 pairs) result from preferentially placing any lone pairs in equatorial positions.

## Three Electron Domains <br> 2 b.p + 1 l.p.

$\mathrm{SnCl}_{2}$
Lewis model:


Shape: Bent

L.p.-b.p. repulsions cause the $\mathrm{Cl}-\mathrm{Sn}-\mathrm{Cl}$ angle to close to less than $120^{\circ}$.


# Four Electron Domains 3 b.p. +1 l.p. 

$\mathrm{NH}_{3}$
Lewis model:


Shape: Trigonal Pyramid

L.p.-b.p. repulsions cause the $\mathrm{H}-\mathrm{N}-\mathrm{H}$ angles to close to less than $109.5^{\circ}\left(\sim 107^{\circ}\right)$.


# Four Electron Domains 

2 b.p. +2 l.p.
$\mathrm{H}_{2} \mathrm{O}$
Lewis model:


Shape: Bent

L.p.-b.p. repulsions cause the $\mathrm{H}-\mathrm{O}-\mathrm{H}$ angle to close to less than $109.5^{\circ}\left(104.5^{\circ}\right)$.


Five Electron Domains

$$
4 \text { b.p. + } 1 \text { l.p. }
$$

$\mathrm{SF}_{4}$
Lewis model:


Shape: Irregular Tetrahedron ("see-saw" shape)


Note: Lone pair occupies an equatorial position of $t b p$.
L.p.-b.p. repulsions cause both F-S-F angles to close to less than $120^{\circ}$ and $180^{\circ}$, respectively.

# Five Electron Domains 3 b.p. +2 l.p. 

$\mathrm{ClF}_{3}$
Lewis model:


Shape: T-shape


Note: Lone pairs occupy equatorial positions of $t b p$.
L.p.-b.p. repulsions cause both F-Cl-F angles to close to less than $90^{\circ}$.

## Five Electron Domains

## 2 b.p. +3 l.p.

$\mathrm{XeF}_{2}$
Lewis model:


Shape: Linear


Note: Lone pairs occupy equatorial positions of $t b p$.
L.p.-b.p. repulsions do not cause angle distortions in this case, but rather enforce the linearity of the molecule.

# Six Electron Domains 

$$
5 \text { b.p. + } 1 \text { l.p. }
$$

$\mathrm{IF}_{5}$
Lewis Model:


Shape: Square Pyramid

L.p.-b.p. repulsions cause the plane of the four basal F atoms to move slightly above the I atom, making the F-I-F angle between any basal F and the axial F less than $90^{\circ}$.

## Six Electron Domains

$$
4 \text { b.p. + } 2 \text { l.p. }
$$

$\mathrm{XeF}_{4}$
Lewis model:


Shape: Square Planar


Note: Lone pairs occupy opposite positions to minimize 1.p.-1.p repulsions.
L.p.-b.p. repulsions do not cause angle distortions in this case, but rather enforce the planarity of the molecule.

## SHAPES OF MX $n$ MOLECULES BY V.S.E.P.R. THEORY

| Electron <br> Regions | Arrangement of Regions | Bond <br> Domains ${ }^{2}$ | Lone <br> Pairs | Molecular Shape | Polar? ${ }^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | linear | 2 | 0 | linear $\left[\mathrm{MX}_{2}\right]$ | No |
| 3 | trigonal planar | 3 | 0 | trigonal planar [ $\mathrm{MX}_{3}$ ] | No |
|  |  | 2 | 1 | bent ( $<120^{\circ}$ ) $\left[\mathrm{MX}_{2}\right]$ | Yes |
| 4 | tetrahedral | 4 | 0 | tetrahedral $\left[\mathrm{MX}_{4}\right]$ | No |
|  |  | 3 | 1 | trigonal pyramidal [ $\mathrm{MX}_{3}$ ] | Yes |
|  |  | 2 | 2 | $\operatorname{bent}\left(<109.5^{\circ}\right)\left[\mathrm{MX}_{2}\right]$ | Yes |
| 5 | trigonal bipyramidal | 5 | 0 | trigonal bipyramidal [ $\mathrm{MX}_{5}$ ] | No |
|  |  | 4 | 1 | irregular tetrahedron [ $\mathrm{MX}_{4}$ ] | Yes |
|  |  | 3 | 2 | T-shaped [ $\mathrm{MX}_{3}$ ] | Yes |
|  |  | 2 | 3 | linear $\left[\mathrm{MX}_{2}\right]$ | No |
| 6 | octahedral | 6 | 0 | octahedral $\left[\mathrm{MX}_{6}\right]$ | No |
|  |  | 5 | 1 | square pyramid [ $\mathrm{MX}_{5}$ ] | Yes |
|  |  | 4 | 2 | square planar $\left[\mathrm{MX}_{4}\right]$ | No |

[^0]VSEPR-Predicted Shapes for $\mathbf{M X}_{n}$ Molecules $(n=2,3,4,5,6)$

| Formula | Case | Shape | Example |
| :--- | :--- | :--- | :--- |
| $\mathrm{MX}_{2}$ | 2 bonds +0 lone pairs | linear | $\mathrm{BeF}_{2}$ |
|  | 2 bonds +1 lone pair | bent $\left(<120^{\circ}\right)$ | $\mathrm{SnCl}_{2}$ |
|  | 2 bonds +2 lone pairs | bent $\left(<109.5^{\circ}\right)$ | $\mathrm{H}_{2} \mathrm{O}$ |
|  | 2 bonds +3 lone pairs | linear | $\mathrm{XeF}_{2}$ |
| $\mathrm{MX}_{3}$ | 3 bonds +0 lone pairs | trigonal planar | $\mathrm{BF}_{3}$ |
|  | 3 bonds +1 lone pair | trigonal pyramidal | $\mathrm{NH}_{3}$ |
|  | 3 bonds +2 lone pairs | T-shape | $\mathrm{ClF}_{3}$ |
| $\mathrm{MX}_{4}$ | 4 bonds +0 lone pairs | tetrahedral | $\mathrm{CH}_{4}$ |
|  | 4 bonds +1 lone pair | irregular tetrahedron | $\mathrm{SF}_{4}$ |
|  | 4 bonds +2 lone pairs | square planar | $\mathrm{XeF}_{4}$ |
| $\mathrm{MX}_{5}$ | 5 bonds +0 lone pairs | trigonal bipyramid $(t b p)$ | $\mathrm{PF}_{5}$ |
|  | 5 bonds +1 lone pair | square pyramid | $\mathrm{IF}_{5}$ |
| $\mathrm{MX}_{6}$ | 6 bonds +0 lone pairs | octahedral | $\mathrm{SF}_{6}$ |

Note: In this table, "bond" means a linkage between two atoms in a molecule. Thus a single-, double-, or triple-bond constitutes only one bond.

# Relationship Between Lewis Structures and <br> Actual Molecular Geometry 

L Lewis structures are inherently two dimensional and do not attempt to represent the true three-dimensional shape and angular relationships that exist in the actual molecule.
$L \quad$ V.S.E.P.R. theory can be used to estimate the actual bond angles in a molecule from the Lewis structure and the number of electron domains about each atom.



[^0]:    ${ }^{2}$ A single, double, or triple bond constitutes one domain of electron density. Therefore, count bond domains around the central atom (i.e., the number of atom-pair linkages), not numbers of electron pairs. For this reason, the co-author of V.S.E.P.R. theory has renamed it the Electron Domain theory. [R. J. Gillespie. J. Chem. Educ. 1992, 69, 116.]
    ${ }^{3}$ Listed polarity is for binary compounds $\left(\mathrm{MX}_{n}\right)$ only. Composition of ternary $\left(\mathrm{MX}_{n} \mathrm{Y}_{m}\right)$ and higher compounds may result in polarity for a shape that might be nonpolar if the compound were binary.

