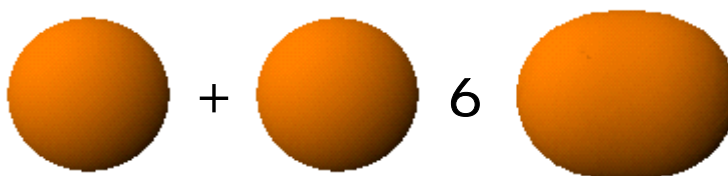


## Quantum Mechanical Approaches to Molecular Bonding

- ( In principle, it is possible to construct a Schrödinger equation,  $\hat{H}\Psi = E\Psi$ , to describe the electronic structure of a molecule.
- ; In practice, seeking exact solutions to the Schrödinger equation for molecules is an insurmountable mathematical problem.
- L Two principal approaches have been taken to construct approximate wave functions for molecules, starting with the atomic orbitals of the atoms comprising the molecules.
  1. Valence Bond (VB) theory - developed by Linus Pauling and co-workers, essentially puts the Lewis notion of electron pairs on a quantum mechanical footing, in which each shared or lone pair of electrons about an atom occupies a localized orbital.
  2. Molecular orbital (MO) theory, developed by Robert S. Mulliken and co-workers, constructs new orbitals that are *delocalized* (i.e., “spread out”) across the molecule.
- L VB and MO theories take different mathematical approaches to constructing wave functions for the molecule, but their results are often equivalent.

## Valence Bond (VB) Theory

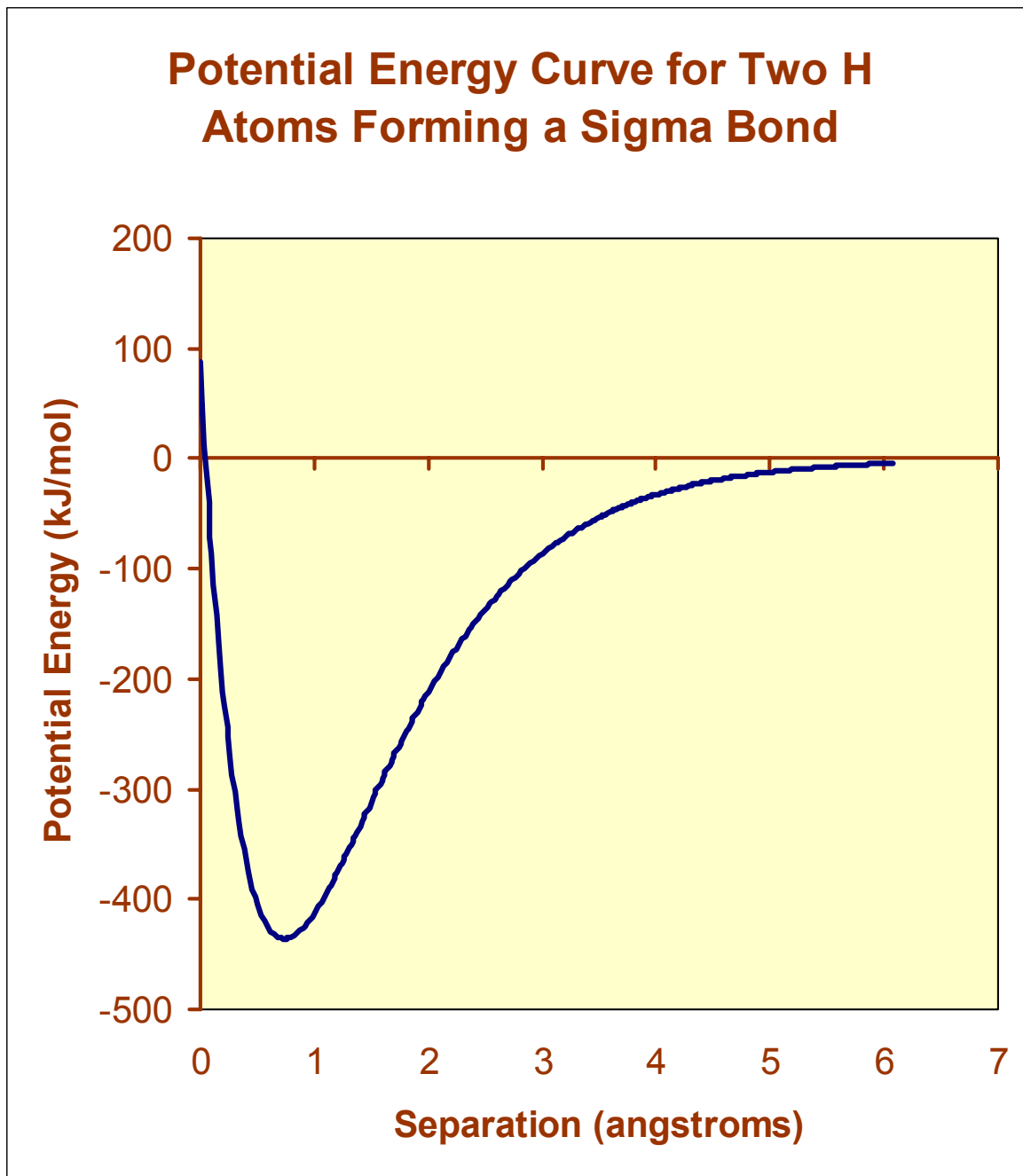
- L A chemical bond forms by sharing a pair of electrons through overlap of atomic orbitals on the bonded atoms.
- L When overlap creates an increase in electron density in the region between the two nuclei a **sigma bond** ( $\sigma$  bond) is formed.



Formation of sigma ( $\sigma$ ) bond in H<sub>2</sub> from 1s orbitals

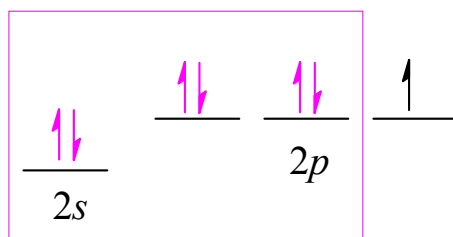
## Potential Energy and Internuclear Separation

- Attraction of the electrons to two nuclei causes a lowering of the potential energy to a minimum at the normal bond distance.



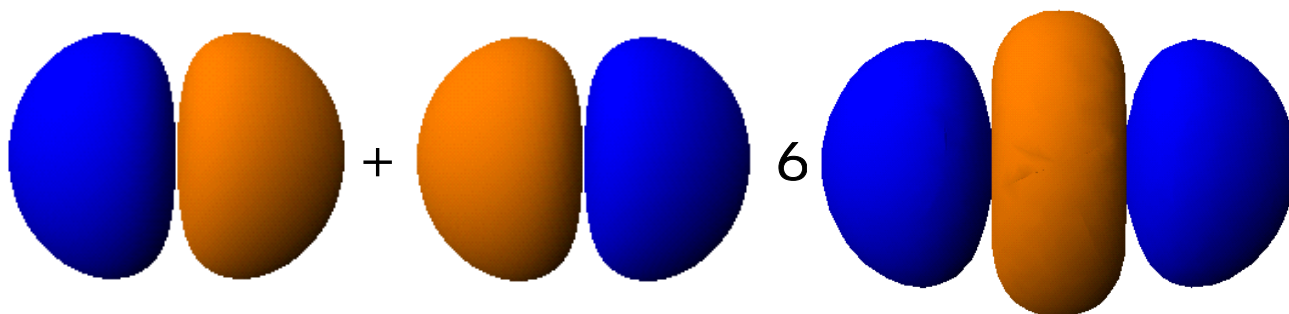
## Sigma Bond Formation in F<sub>2</sub>

Valence configuration:



Non-bonding electrons

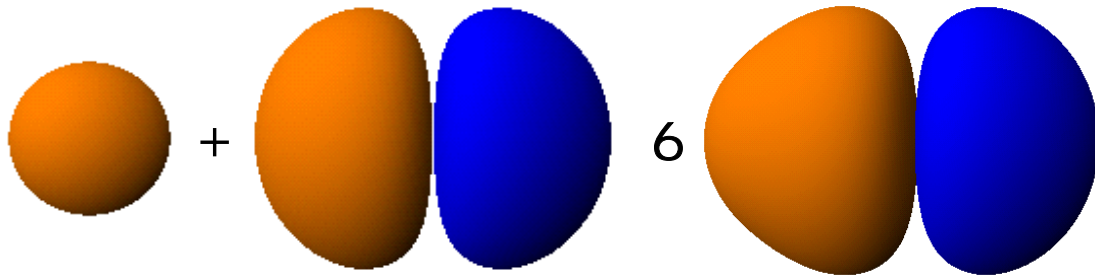
- The single bond in F<sub>2</sub> can be seen as a sigma bond formed by overlap of two 2p orbitals.



Formation of sigma ( $\sigma$ ) bond in F<sub>2</sub> from 2p

## Heteronuclear Diatomic Molecules

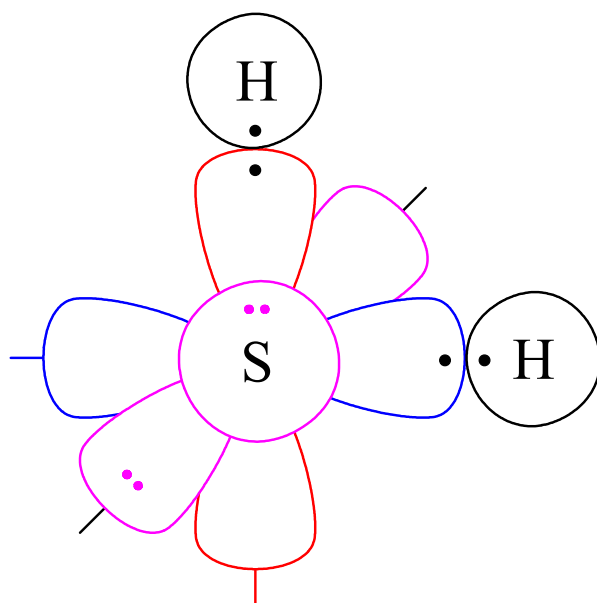
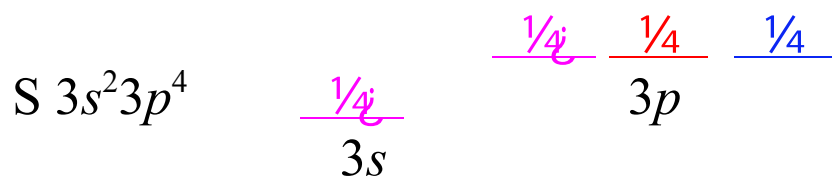
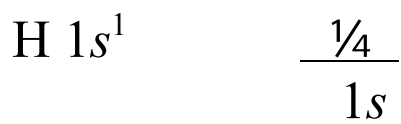
- In heteronuclear diatomic molecules, the overlap may involve two different types of orbitals.



Formation of sigma ( $\sigma$ ) bond in HF from H  $1s$  and F  $2p$

# Polyatomic Molecules

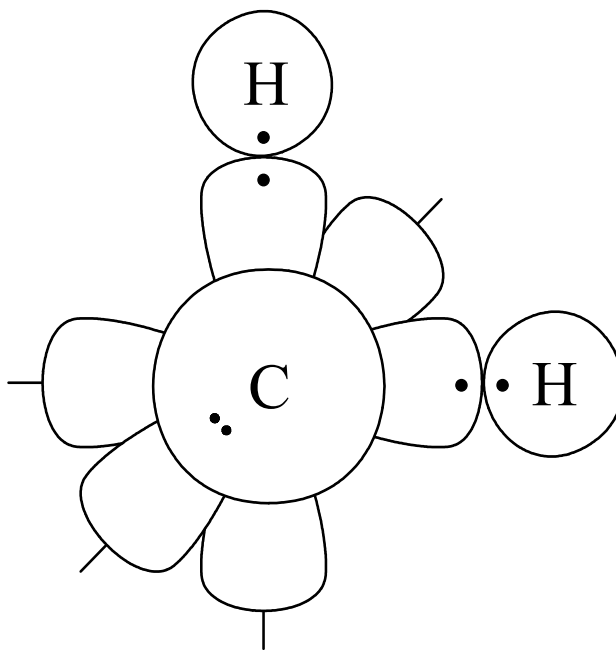
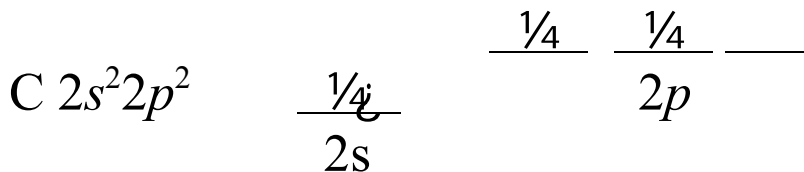
Example: H<sub>2</sub>S



## Polyatomic Molecules The Need for Hybridization

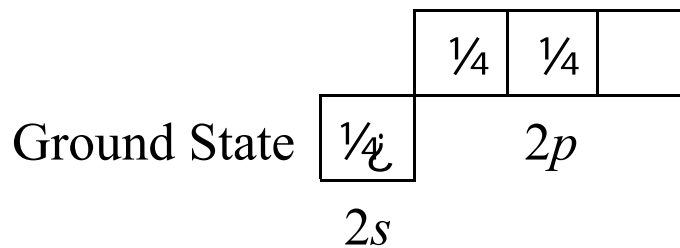
How can we form a VB model of four equal sigma bonds around carbon, starting with its valence configuration  $2s^2 2p^2$ ?

- It seems that only two bonds could be made with an angle of  $90^\circ$  through overlap of carbon  $2p$  orbitals with hydrogen  $1s$  orbitals.

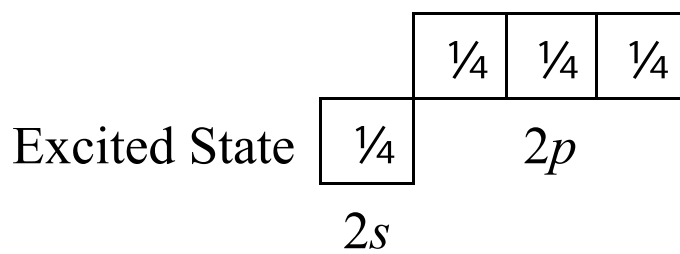


**L But  $\text{CH}_2$  does not exist as a stable molecule, and  $\text{CH}_4$  is formed instead.**

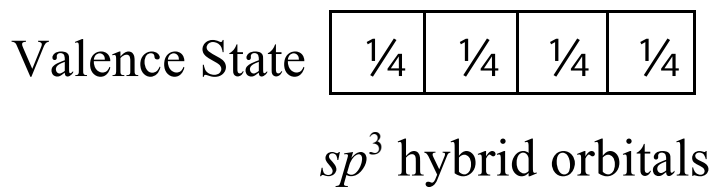
# Hybrid Orbital Formation in CH<sub>4</sub> A Hypothetical Process



\

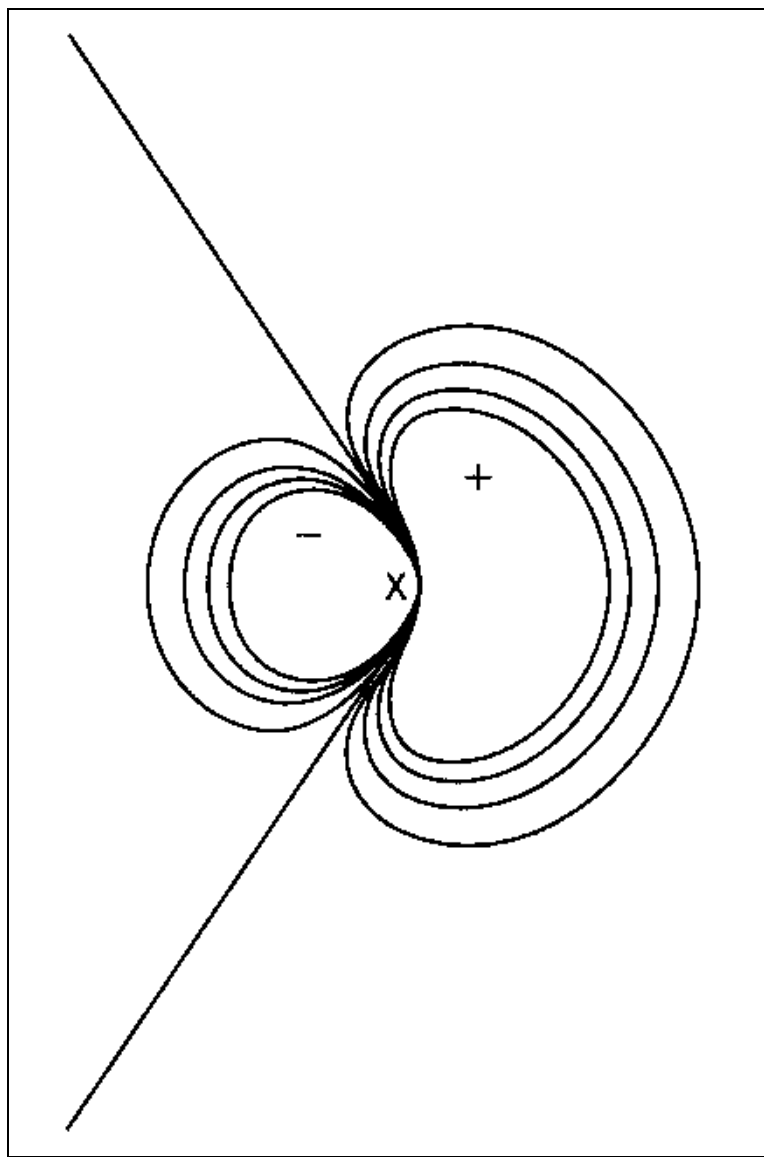


\





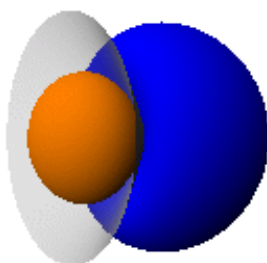
## Contour Diagram of a Single $sp^3$ Hybrid Orbital



X marks the position of the nucleus

## Boundary Surface Model of a Single $sp^3$ Hybrid

Three-dimensional model (rotated 30° about a vertical axis):

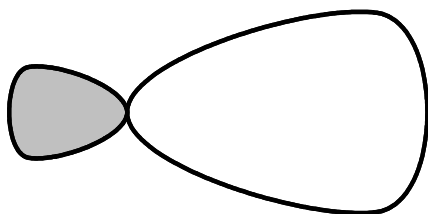


Cut-away rendering:

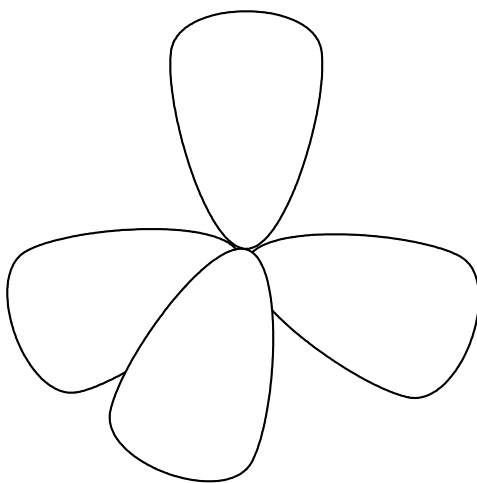


## **$sp^3$ Hybrid Orbitals - Simplified Sketches**

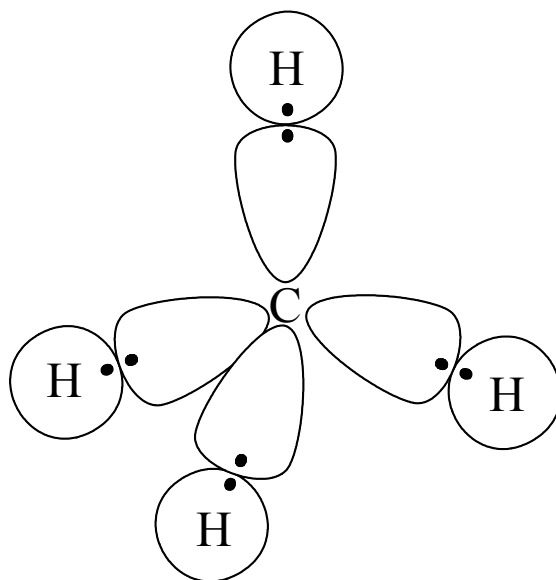
Shape of an individual  $sp^3$  hybrid orbital:



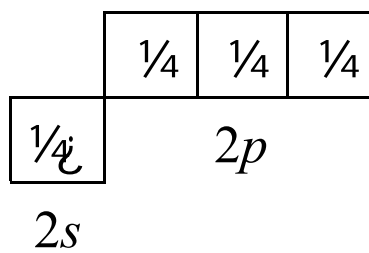
Set of four  $sp^3$  hybrid orbitals in a tetrahedral arrangement:



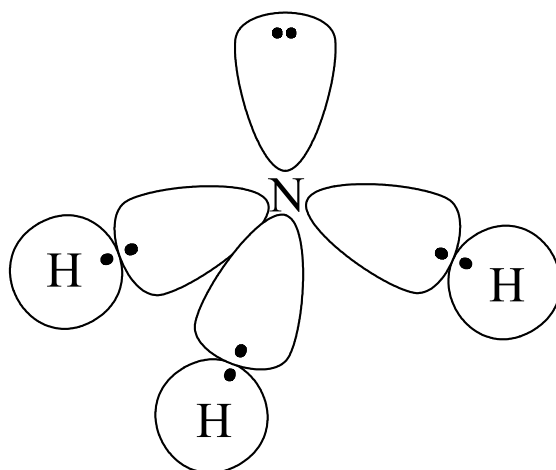
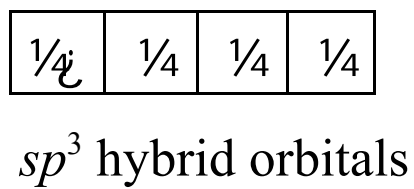
## VB Model of CH<sub>4</sub> with $sp^3$ Hybrids on C



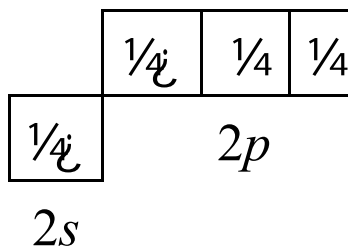
# VB Model of $\text{NH}_3$ with $sp^3$ Hybrids on N



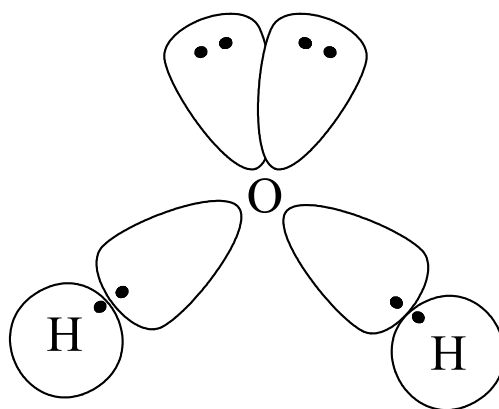
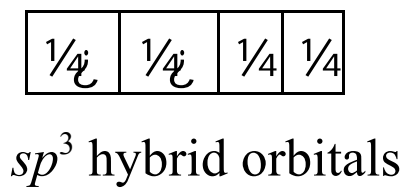
\



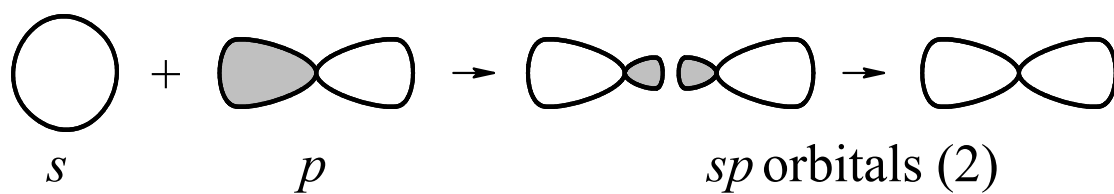
## VB Model of H<sub>2</sub>O with $sp^3$ Hybrids on O



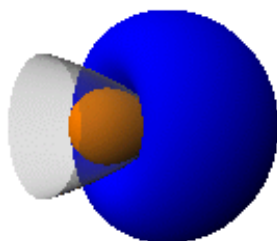
\



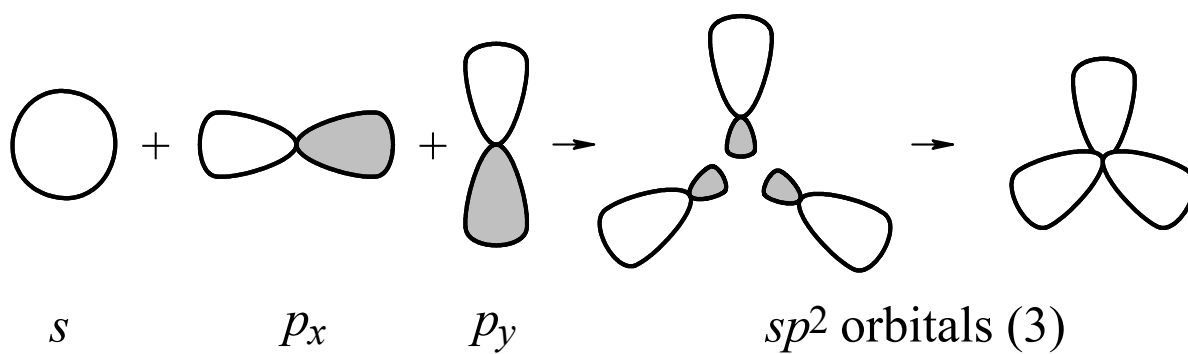
## Hybrids for 2 Electron Domains



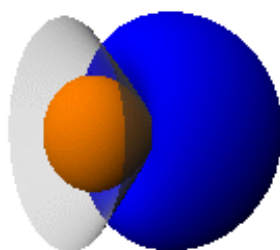
Boundary surface model of one *sp* hybrid:



## Hybrids for 3 Electron Domains



Boundary surface model of one  $sp^2$  hybrid:





## Summary of Hybrid Orbital Types

Domains	Geometry	Orbitals Used	Hybrids
2	linear	$s, p$	$sp$
3	trigonal planar	$s, p_x, p_y$	$sp^2$
4	tetrahedral	$s, p_x, p_y, p_z$	$sp^3$
5	trigonal bipyramidal	$s, p_x, p_y, p_z, d_{z^2}$	$sp^3d$
6	octahedral	$s, p_x, p_y, p_z, d_{z^2}, d_{x^2-y^2}$	$sp^3d^2$