

1. (1 pt)

Find the cross product $\mathbf{a} \times \mathbf{b}$ where $\mathbf{a} = \langle 4, 4, -3 \rangle$ and $\mathbf{b} = \langle -5, 4, 3 \rangle$.

$$\mathbf{a} \times \mathbf{b} = \langle _, _, _ \rangle$$

Find the cross product $\mathbf{c} \times \mathbf{d}$ where $\mathbf{c} = -1\mathbf{i} - 1\mathbf{j} + 2\mathbf{k}$ and $\mathbf{d} = 0\mathbf{i} - 2\mathbf{j} - 2\mathbf{k}$.

$$\mathbf{c} \times \mathbf{d} = _ \mathbf{i} + _ \mathbf{j} + _ \mathbf{k}$$

2. (1 pt)

Find two unit vectors orthogonal to $\mathbf{a} = \langle -5, -4, 1 \rangle$ and $\mathbf{b} = \langle 0, 0, 5 \rangle$

Enter your answer so that the first vector has a positive first coordinate

First Vector: $\langle _, _, _ \rangle$

Second Vector: $\langle _, _, _ \rangle$

3. (1 pt)

Find the area of the parallelogram with vertices:
 $P(0,0,0)$, $Q(1,0,1)$, $R(1,1,2)$, $S(2,1,3)$.

4. (1 pt)

Find the volume of the parallelepiped with adjacent edges PQ , PR , PS where

$P(-2, -5, 5)$, $Q(0, -2, 8)$, $R(-3, -6, 4)$, $S(4, -7, 7)$.

5. (1 pt)

A wrench 0.6 meters long lies along the positive y -axis, and grips a bolt at the origin. A force is applied in the direction of $\langle 0, 4, 4 \rangle$ at the end of the wrench. Find the magnitude of the force in newtons needed to supply 100 J of torque to the bolt.

6. (1 pt) You are looking down at a map. A vector \mathbf{u} with $|\mathbf{u}| = 3$ points north and a vector \mathbf{v} with $|\mathbf{v}| = 4$ points northeast. The crossproduct $\mathbf{u} \times \mathbf{v}$ points:

- A) south
- B) northwest
- C) up
- D) down

Please enter the letter of the correct answer: ____

The magnitude $|\mathbf{u} \times \mathbf{v}| = _$

7. (1 pt) Find a vector $\bar{\mathbf{v}}$ that is perpendicular to the plane through the points

$A = (-3, 2, -3)$, $B = (2, 1, 5)$, and $C = (-5, -5, 0)$.

$$\bar{\mathbf{v}} = _$$

8. (1 pt) Let P be the plane in space that intersects the x -axis at 2, the y -axis at 1, and the z -axis at 1. Find a vector $\bar{\mathbf{v}}$ that is perpendicular to P .

$$\bar{\mathbf{v}} = _$$